

#6.1 EDM (or theodolite) is a method of determining the length between two points using electromagnetic waves. Total station is a device that share similarities with a theodolite and can be used to measure distances as well as angles.

#6.2 Average pace for 200ft: $\frac{92+90+92+91+93+91}{5} = 91.5$

$$\rightarrow \frac{91.5 \text{ paces}}{200 \text{ ft}} = 0.4575 \frac{\text{paces}}{\text{ft}}$$

a) pace length: $\frac{85+86+86+84}{4} = \boxed{85.25 \text{ paces}}$

b) AB length: $85.25 \times \frac{1}{0.4575} = \boxed{186.34 \text{ ft}}$

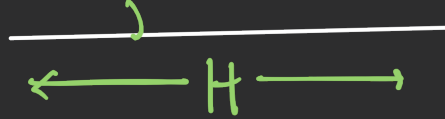
#6.5 Stadia: distance obtained by sighting through telescope equipped with two or more horizontal cross wires at a knowing space

Odometers: converts the number of a revolution of a wheel of known circumference to distance, particularly for short and curved lines

#6.7 a) $AB = \underset{\substack{\parallel \\ L}}{104.98 \text{ ft}}, \text{ slope angle} = \underset{\substack{\parallel \\ \alpha}}{2^{\circ}13'46''} = 2.229^{\circ}$



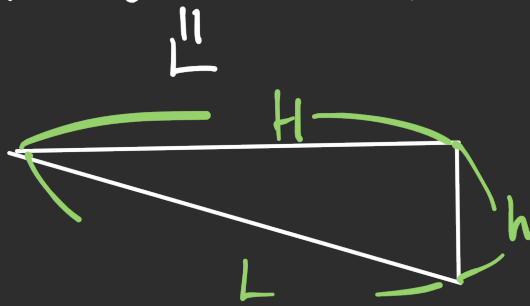
$$H = L \cos \alpha$$



$$= 04.98 \cos 2.24$$

$$= \boxed{104.979 \text{ ft}}$$

b) $AB = 86.793 \text{ m}$, elevation A to B = -2.499 m



$$L^2 = H^2 + h^2 \quad \rightarrow \quad H^2 = L^2 - h^2$$

$$\rightarrow H = \sqrt{L^2 - h^2}$$

$$= \sqrt{86.793^2 - (-2.499)^2}$$

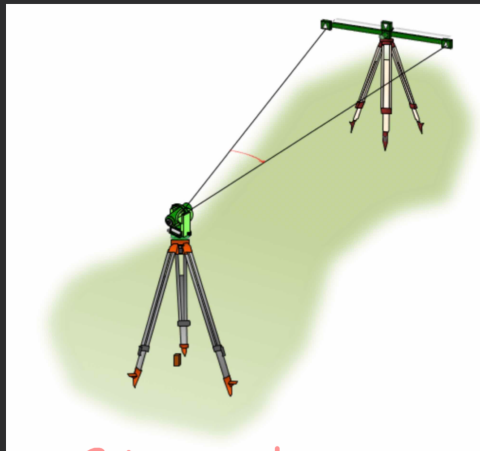
$$= \boxed{86.757 \text{ m}}$$

- #6.9
- ① Tape must be straight and held at the same elevation.
 - ② Bad communication will cause jerking and waste time.
 - ③ pulling tape tight enough from the each ends to avoid sagging
 - ④ Record carefully

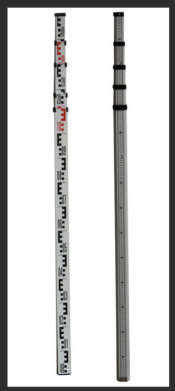
#6.10 There are two reasons :

1. the rear point is held steady on a fixed objects while the other end is plumbed.
2. If breaking point is necessary, the head taperperson can more conveniently use the hand level to proceed downhill a distance.

#6.15



Subtense bar



Reflector target & Surveyor's Staff

Subtense bar is indirect distance-measuring equipment unlike reflector target & surveyor's staff.

It uses theodolite to read horizontal angle subtended by two targets where as the other two equipments are read with a single path / direction.

#6.20

$$h_e = 5.53 \text{ ft}$$

$$h_r = 6.00 \text{ ft}$$

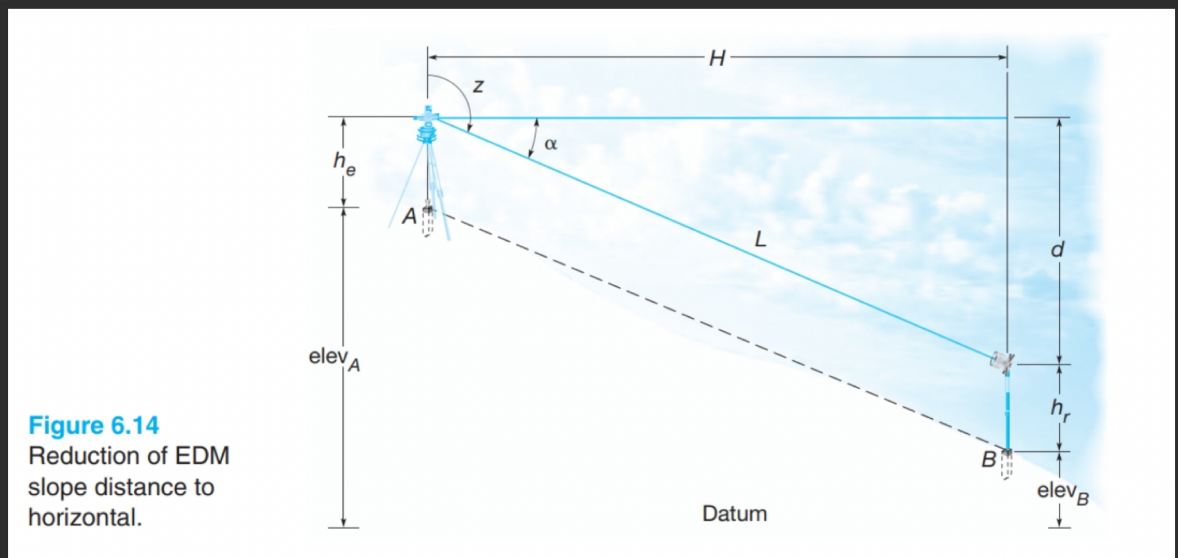
$$Z = 93^\circ 20' 06''$$

$$= 93.335^\circ$$

$$L = 489.65 \text{ ft}$$

$$\alpha = 3.335^\circ$$

Find AB



$$H = L \cos \alpha = 489.65 \cos 3.335^\circ = 488.82 \text{ ft}$$

$$d = \sqrt{L^2 - H^2} = \sqrt{489.65^2 - 488.82^2} = 28.50 \text{ ft}$$

$$h_e + \text{elev}_A = d + h_r + \text{elev}_B$$

$$\text{elev}_A - \text{elev}_B = d + h_r - h_e = 28.50 + 6.00 - 5.53$$

$$\text{elev}_A - \text{elev}_B = Y = 28.97 \text{ ft}$$

$$\underline{AB} = \sqrt{H^2 + Y^2} = \sqrt{488.82^2 + 28.97^2} = 489.68 \text{ ft}$$